

The `binhex.tex` package for expandible conversion into binary-based number systems

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1 Usage

This is a file for expandably converting numbers into binary, octal and hexadecimal. All constructs `\TeX` accepts as an argument to its `\number` primitive are valid. This holds for all numeric arguments of the macros presented in here.

You use this package by simply inputting it with

```
\input binhex
```

It will work equally well under L^AT_EX and plain T_EX. It does not even use plain T_EX, but only T_EX primitives. Simply setting the correct \catcode values for {}# and end of line will make it load and work under iniT_EX.

\binary The following macros are defined: `\binary{<number>}` will convert `<number>` into its binary representation.

`\nbinary` `\nbinary{\langle size \rangle}{\langle number \rangle}` will convert `\langle number \rangle` into a binary representation of at least `\langle size \rangle` digits length, filling up with leading zeros where necessary. The `-` sign of negative numbers is not counted. If both `\langle size \rangle` and `\langle number \rangle` are zero, an empty string is generated. This should please some computer scientists in some situations.

```
\nbinary{3}{3} → 011
\nbinary{3}{-2} → -010
\nbinary{3}{-12} → -1100
```

`\hex` `\hex{\langle number\rangle}` converts `\langle number\rangle` into its hexadecimal representation, using

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uppercase letters.

```
\hex{34} → 22  
\hex{-4711} → -1267
```

\nhex $\text{\nhex}\{\langle size \rangle\}\{\langle number \rangle\}$ will convert $\langle number \rangle$ into a hexadecimal representation of at least $\langle size \rangle$ digits length, filling up with leading zeros where necessary. The $-$ sign of negative numbers is not counted. If both $\langle size \rangle$ and $\langle number \rangle$ are zero, an empty string is generated. This should please some computer scientists in some situations.

```
\nhex{3}{3} → 003  
\nhex{3}{-\maxdimen} → -3FFFFFFF
```

\oct $\text{\oct}\{\langle number \rangle\}$ converts $\langle number \rangle$ into its octal representation.

```
\oct{34} → 42  
\oct{-4711} → -11147
```

\noct $\text{\noct}\{\langle size \rangle\}\{\langle number \rangle\}$ will do the right thing.

```
\noct{3}{13} → 015  
\noct{3}{-\maxdimen} → -7777777777
```

\tetra $\text{\tetra}\{\langle number \rangle\}$ is for people counting with arms and legs instead of fingers, or for quadrupeds.

```
\tetra{34} → 202  
\tetra{-4711} → -1021213
```

\ntetra $\text{\ntetra}\{\langle size \rangle\}\{\langle number \rangle\}$ is for those of the same count which have minimum requirements.

```
\ntetra{3}{3} → 003  
\ntetra{3}{-\maxdimen} → -33333333333333
```

\nbibase $\text{\nbibase}\{\langle logbase \rangle\}\{\langle size \rangle\}\{\langle number \rangle\}$ will convert $\langle number \rangle$ into number base $2^{\langle logbase \rangle}$ and generate at least $\langle size \rangle$ digits. Only supported values of $\langle logbase \rangle$ are 1, 2, 3, 4. This is called by all other macros except of the faster binary conversion macros.

```
\nbibase{3}{3}{13} → 015  
\nbibase{3}{3}{-\maxdimen} → -7777777777  
  
\nbibase{2}{4}{13} → 0031  
\nbibase{2}{4}{-\maxdimen} → -33333333333333
```

That's it, have fun!